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Studies on Explosives I. The Crystal Structure of Copper(II) Azide, Catena-diazidocopper(II)

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The crystal structure of orthorhombic copper(II) azide has been determined by single-crystal X-ray diffraction methods using complete, visually estimated, intensity data within the Cu K α sphere and with space group *Pbnm*. The refined lattice parameters are at 25 °C $a=9.084\pm0.003$, $b=13.454\pm0.002$, $c=3.079\pm0.001$ Å and the unit cell contains four Cu(N₃)₂. The trial structure was refined by the method of full-matrix least-squares to a final residual of 0.059. The structure consists of planar diazidocopper(II), [Cu(N₃)₂]_n, chain molecules packed laterally with long Cu–N distances and distorted octahedral coordination around each copper atom. The Cu–N distances are close to 2.00 Å within the chains and the N–N bonds in the azido groups are found to differ significantly in length.

Introduction

Copper(II) azide, Cu(N₃)₂, was first prepared by Curtius & Rissom (1898) and the lattice parameters were determined by Straumanis & Cirulis (1943). At the Research Institute of National Defence (FOA) in Sweden the system Cu(N₃)₂-CuO-H₂O has been investigated by Lamnevik & Söderquist (1967). Several of the solid phases in this system are explosive corrosion products formed on copper and copper alloys at various partial pressures of hydrogen azide. Copper(II) azide is the stable compound at partial pressures higher than 0.24 torr at 25°C, whereas at lower partial pressures hydrolysis to hydroxo compounds of Cu(N₃)₂ occurs.

Copper(II) azide is a primary explosive, extremely sensitive to impact, friction and, especially, electrical fields. The electrical sensitivity is so high that the compound will detonate at discharge energies in the microjoule range (Lamnevik, 1966). This indicates that the compound has small activation energies for thermal and electrical breakdown which may be related to the crystal structure. The extreme sensitivity of $Cu(N_3)_2$ seems, however, not to be caused by a polarity of the crystals as suggested for many other explosives by Maycock & Grabenstein (1966).

Experimental

Crystals of copper(II) azide suitable for single-crystal optical and X-ray work were prepared by two different methods, either according to Straumanis & Cirulis (1943) or by a diffusion method. In the latter method CuSO₄. 5H₂O(s) and NaN₃(s) contained in small beakers were allowed to mix by diffusion in a solution of 1% hydrogen acetate in water. Both preparation methods gave long prismatic greenish black needles, which analysed as Cu(N₃)₂, Cu: $42.9_2\%$ (calc. 43.06%) from ethylenediaminetetra-acetate titrations, and N: $56.4_3\%$ (calc. 56.94%) from Ce^{IV} titrations.



Fig. 1. Orthographic projections of the common habit of well-crystallized orthorhombic $Cu(N_3)_2$. The unit cell and pleochroism are indicated.

The crystals are stable in air and mostly grow with a few well-developed faces of holohedral symmetry (Fig. 1). Occasionally minute faces and striations along [001] occur which probably prevented Straumanis & Cirulis (1943) from identifying the main crystal forms. There are also perfect cleavages along the needle axis which cause the crystals to split at the slightest pressure into a bundle of thin fibres looking much like asbestos. $Cu(N_3)_2$ shows extremely strong pleochroism, being opaque along [001] but transparent with light green transmission in the (001) plane. This property explains to some extent the diversity in the description of the colour of this compound, ranging from green or brown to black.

The X-ray pattern obtained from Cu(N₃)₂ has *mmm* symmetry, and the orientation of the unit-cell axes within the crystal is shown in Fig. 1. The lattice parameters (Table 1) confirm those given by Straumanis & Cirulis (1943) and 32 single-indexed diffraction lines were refined by the method of least-squares (unit weights) using powder data obtained with a Hägg-Guinier focusing camera (Table 2). 408 of a total of 526 recorded independent intensities (96% of all possible within the Cu K\alpha sphere) were above background and measured by visual comparison with calibrated scales from non-integrated Weissenberg equi-inclination ($\mu_{max} = 30^{\circ}$) multiple-films taken around all three principal axes (*nkl*, n=0-5; *hnl*, n=0-2; *hkn*, n=0-2).

Table 1. Some crystal data on orthorhombic $Cu(N_3)_2$ at 25°C

Cell constants

$a \pm \sigma = 9.084 \pm 0.003$	Å
$b \pm \sigma = 13.454 \pm 0.002$	
$c \pm \sigma = 3.079 \pm 0.001$	
$V + \sigma = 376 \cdot 3 + 0 \cdot 3 \text{ Å}^3$	

Densities

 $\varrho_o = 2.58 \text{ g.cm}^{-3}$ (flotation in 1-bromonaphthalenediiodomethane mixtures) $\varrho_c = 2.604 \text{ g.cm}^{-3}, Z = 4 \text{ Cu}(N_3)_2, \text{ Cu}(N_3)_2 = 147.6 \text{ g.mole}^{-1}.$

Diffraction data

 $\mu = 70.5 \text{ cm}^{-1}$ (Cu Ka) F(000) = 284 electrons

hkl	no conditions
0kl	k = 2n
h0l	h+l=2n
hk0	no conditions
	hkl 0kl h0l hk0

Space groups: *Pbnm* (no. 62, 010/001/100 transforms to standard setting) *Pbn2*₁ (no. 33, 010/100/00T transforms to standard setting)

Crystal morphology

Orthorhombic holohedral a:b:c=0.6752:1:0.2289Perfect cleavage along [001]

Crystal optics

Strong pleochroism, opaque along [001], light green in (001)

Piezoelectricity

Negative (static and Giebe & Scheibe method)

Table 2. X-ray powder diffraction data of orthorhombic Cu(N₃)₂

Hägg-Guinier focusing camera (80 mm diameter, quartz monochromator) with λ (Cu $K\alpha_1$) = 1.54051 Å radiation and KCl (a = 6.29294 Å at 25 °C) as internal standard.

do			d_0^{-2}	dc^{-2}
(Å)	$I_{\rm rel}$	hkl	(Å-2)	(Å-2)
7.524	vs	110	0.01766	0.01765
6.725	w	020	0.02211	0.02210
5.406	т	120	0.03422	0.03422
4.535	vw	200	0.04863	0.04848
4.307	vw	210	0.05390	0.05400
4.023	w	130	0.06179	0.06184
3.764	vw	220	0.07059	0.07057
3.365	vw	040	0.08830	0.08830
3.190	S	230	0.09823	0.09820
2.915	vw	101	0.11770	0.11762
2.800	s	021	0.12753	0.12759
2.762	w	320	0.13110	0.13118
2.703	w	240	0.13688	0.13688
2.676	m	121	0.13970	0.13971
2.582	w	150	0.15001	0.15024
2.504	w	211	0.15943	0.15950
2.445	m	131	0.16722	0.16733
2.272	•	[041	0.19377	0.19390
2.717	w	໌) 400	0.19377	0.19392
2.249	vw	` 340	0.19766	0.19747
2.203	w	141	0.20599	0.20602
2 ·160	U W	301	0.21433	0.21458
2.031	vw	241	0.24233	0.24237
2.012	vw	260	0.24700	0.24736
1.979	vw	151	0.25573	0.25574
1.851	w	251	0.29195	0.29220
1.802	•	∫ 360	0.30808	0.30796
1 002	UW	ի 510	0.30808	0.30853
1.778	vw	161	0.31647	0.31650
1.682	11147	∫ 261	0.35330	0.35286
1 002	011	1 080	0.35330	0.35357
1.606	w	171	0.38789	0.38832
1.555	71147	∫ 361	0.41344	0.41346
1 555	011	<u>ا</u> 511	0.41344	0.41401
1.540	т	002	0.42177	0.42198
1.208	w	112	0.43987	0.43963
1.478	vw	531	0.45758	0.45820
1.387	vw	232	0.51973	0.52018
1.344	UW	322	0.55320	0.55317
1.322	vw	152	0.57220	0.57223

The crystals disintegrate rapidly in X-ray radiation, resulting in fading of the intensities on repeated exposure. Thus new crystals were mounted for each reciprocal layer. Corrections for the Lorentz and polarization effects were applied, and the hk3 reflexions were brought to the same level by cross-correlation. About 85% of the intensities were collected around [001] with rod-shaped crystals of diameters less than 0.04 mm giving a transmission correction not exceeding 5%. It was thus not considered necessary to correct all the crystals used for absorption since errors due to disintegration may exceed the absorption effect. The conditions for observed reflexions (Table 1) are in accordance with space groups $Pbn2_1$ (no. 33) and Pbnm (no. 62) in International Tables for X-ray Crystallography (1952).

Inspection of the X-ray photographs reveals that hkl reflexions differing only by 2n in l have nearly uni-

form intensity apart from the normal decline with increasing θ . This strongly suggests location of the four $Cu(N_3)_2$ units on mirror planes at $z = \pm \frac{1}{4}$, thus transforming the general fourfold position in $Pbn2_1$ to the fourfold special position with symmetry *m* in *Pbnm*. For this reason and because of the apparent holohedry of the crystals, space group Pbnm was adopted during the structure determination. The position of the copper atom was easily deduced from the Patterson projection on (001). Two successive Fourier syntheses based on F_{rel} enabled the x and y coordinates of all six nitrogen atoms to be determined. The z coordinates $(\pm \frac{1}{4})$ were assigned to give reasonable Cu-N distances of about 2.0 Å and linear N₃ groups. These positions were checked on a Patterson projection on (100). A structure factor calculation at this stage, including all measured reflexions and approximate temperature factors resulted in a discrepancy index, defined throughout as

$$R = \Sigma ||F_o| - |F_c|| / \Sigma |F_o|,$$

of 0.26.

The structure was refined by a full-matrix leastsquares analysis minimizing the function $w(|F_o| - |F_c|)^2$ and using only the 408 reflexions above background. These were given unit weight for scaled $F_o \leq 4F_{\min} = 20$ electrons and for reflexions with $F_o > 20$ electrons \sqrt{w} was set equal to $20/F_o$. Neutral atomic scattering factors, without dispersion corrections, were taken from *International Tables for X-ray Crystallography* (1962). The calculations were carried out on an IBM 7090 computer, with a set of programs written or adapted by Stewart (1964).

The structure was first refined by six cycles in the isotropic mode when the shifts had reached 0.01σ for all parameters and R=0.082. A three-dimensional Fourier synthesis with ΔF values as amplitudes showed no evidence (Δg approximately zero around all atoms)

of displacement of any of the atoms from the mirror planes as would be expected if the structure were noncentrosymmetric. In the three-dimensional electron density one of the terminal nitrogen atoms [N(6), see below] was slightly smeared in the xy plane as compared with the others, indicating stronger thermal motion. Five more cycles with individual anisotropic temperature factors applied to all atoms were calculated refining a total of 43 parameters (14 structural and 28 temperature factor parameters and one scale factor). R decreased to a final value of 0.059 and the shifts of all the parameters were negligible. A statistical test, using an approximate *R*-factor ratio (Hamilton, 1965), of the physical significance of introducing anisotropic refinement was definitely positive, well above the 99.5%level. Averages of $\Sigma w(|F_o| - |F_c|)^2$ in groups of increasing F_o and sin θ/λ justified the weighting scheme used and minor changes in the weights produced little effect; this indicates that the errors in the data are mostly of random nature. No reflexions seemed to be affected by extinction; this may be ascribed to the fibrous mosaic structure of $Cu(N_3)_2$ proposed by Straumanis & Cirulis (1943).

Discussion

The configuration, bond lengths and angles (Fig. 2 and Table 5) of both the N₃ groups (almost linear) and the copper coordination (octahedral 4+1+1) found in Cu(N₃)₂ agree well with similar values in related structures (Agrell, 1966). The structure can be considered as being built from infinite, almost planar chain molecules of composition Cu(N₃)₂, running along [001] in the crystal. The two crystallographically independent N₃ groups in the repeat unit of a chain coordinate the copper atom by one terminal nitrogen each, the copper atom being surrounded by four N₃ ligands in a rectangular plane. The two Cu–N distances are both very



Fig.2. Perspective view of the octahedral environment of a copper atom in $Cu(N_3)_2$.

close to 2.00 Å and the interbond angle is 79.2° . The axes of the N_3 groups are slightly turned in (001) to fall out of the coordination plane and make angles of 129.3 and 126.0° with the Cu-N bonds (Fig. 2); these values lie in the region reported for other covalently bonded azido groups. This neutral, infinite chain structure of copper(II) azide explains the fibrous cleavage. Copper(II) azide can be considered an azido complex of copper(II), $[Cu(N_3)_2]_n$, suggesting the systematic name catena-diazidocopper(II). There is a relatively short Cu-Cu distance, 3.08 Å, along the chains. Although no direct Cu-Cu bonding is proposed at such distance (Schlueter, Jacobson & Rundle, 1966), this may, however, result in an increase of the amount of light absorbed in the chain direction, suggesting an explanation of the extremely strong pleochroism observed.

The lateral packing of the chains in $Cu(N_3)_2$ conforms to the usual pattern of copper(II) compounds, forming distorted octahedral configurations around the copper atom (Wells, 1962). The two azido ligands form, apart from the short intrachain bonds with copper, one long Cu-N bond each to a neighbouring chain (Fig. 3). Both N₃ groups are thus three-coordinated to copper but in different ways. The N(1)-N(2)-N(3) group coordinates in both ends; long Cu-N(1)distances of 2.54 Å bind the chains to puckered layers in (010) consisting of five-coordinated copper pyramids. These layers are stacked together with the basal planes of the pyramids parallel and connected through Cu–N(4) bonds of 2.71 Å across the planes, completing the distorted octahedral surrounding of copper. Thus the N(4)-N(5)-N(6) group uses only N(4) in copper bonding, leaving the opposite nitrogen atom N(6) with

Table 3. Final observed and calculated structure factors of $Cu(N_3)_2$

The columns are, h, $10|F_o|$ and $10F_c$. Unobserved reflexions are marked with an asterisk and have been given F_o values corresponding to the estimated minimum observable intensity. They have been omitted from the least-squares refinement.

24680 123456	$\begin{array}{rrrr} H_{1}0_{1}0\\ H_{1}3 & 399\\ H_{1}4_{1} & -637\\ H_{3}0 & -424\\ H_{4}2 & -134\\ H_{4}2 & -15\\ H_{4}1 & H_{4}2\\ H_{4}2 & -16\\ H_{4}2 $	$\begin{array}{c} \text{H}_{1}\text{5}\text{,0}\\ 1 & \text{507} & -545\\ 2 & 23* & -15\\ 3 & 10* & 11\\ 4 & 229 & 218\\ 5 & 418 & 454\\ 6 & 25* & 0\\ 7 & 455 & 486\\ 0 & 7 & 455 & 486\\ 10 & -125\\ 9 & 25* & 48\\ 10 & 41 & -86\\ 11 & 54 & -97\\ \text{H}_{1}\text{6}\text{,0}\end{array}$	9 38 - H,10,0 0 503 4: 1 190 - 2 215 - 2 3 163 -11 4 177 -14 5 55 - 6 169 -11 7 250 - 8 143 -12 9 150	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	4 509 303 5 196 188 6 48 17 7 135 155 8 154 -167 9 31+ 31 H,10,1 0 75 71 1 206 201 2 51 73 3 200 279 4 140 136 5 173 176	$\begin{array}{c} H, 16, 1\\ 0 & 145 & -142\\ 1 & 27 & 26\\ 2 & 35* & -42\\ H, 0, 2\\ 0 & 1066 & -1115\\ 2 & 233 & -248\\ 4 & 240 & 226\\ 6 & 279 & 267\\ 8 & 97 & 82\\ 10 & 42 & -53\\ H, 1, 2\end{array}$	$\begin{array}{c} \text{H,5,2} \\ 1 & 310 & 320 \\ 2 & 29 & -14 \\ 5 & 13s & -0 \\ 4 & 127 & -115 \\ 5 & 275 & -274 \\ 106 & 3 \\ 7 & 313 & -303 \\ 8 & 67 & 83 \\ 9 & 21s & -31 \\ \text{H,6,2} \\ 0 & 258 & 270 \\ 1 & 148 & -136 \end{array}$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$
7 8 9 10 11	259 -247 132 140 81 -70 106 95 127 117	0 435 -443 1 214 227 2 331 -335 3 384 395 4 318 318 5 357 355	H,11,0 1 282 2 2 387 -3 3 143 1 4 245 -2 5 114 -1	$\begin{array}{cccc} & & & H_{3} 1, 1 \\ 71 & 1 & 41 & & 6 \\ 90 & 2 & 528 & 527 \\ 38 & 3 & 116 & 112 \\ 43 & 4 & 500 & 540 \\ 13 & 5 & 328 & -336 \end{array}$	7 50 74 8 109 118 9 44 -4 10 174 195 H ₁ 6,1	6 131 ~105 7 61 -69 8 35+ 30 H,11,1 1 276 272	1 368 -424 2 186 183 3 63 -68 4 207 206 5 233 240 6 18+ 15	2 186 186 3 229 -233 4 186 -181 5 203 -204 6 296 -293 7 152 145	1 152 152 2 72 -79 3 250 258 4 13• 27 5 42 40	1 45 54 2 300 263 3 60 -56 4 157 153 5 63 -67
0125456	H,2,0 329 309 469 -440 296 -282 807 -870 105 -97 270 -293 168 -150	6 474 475 7 231 -235 8 202 192 9 156 -148 10 44 -55 H,7,0 1 19• -37	6 25• 7 129 -1 8 117 14 H,12,0 9 97 1 238 -21 2 134 11	0 6 84 88 18 7 253 -273 208 8 272 -268 9 51 -44 10 103 -108 85 11 31• 24 45 20 H,2,1	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	2 164 156 3 75 86 4 195 196 5 253 -256 6 64 47 7 150 -155 8 79 -77	7 169 149 8 97 -84 9 50 46 10 89 -62 H,2,2 0 148 -148 1 237 238	8 128 -127 9 89 99 H,7,2 1 42 32 2 258 -266 3 76 71 4 245 -258	H, 13,2 1 110 101 2 145 137 3 12* 23 4 84 72 5 50 -65 H, 14,2	H,6,5 0 165 172 1 112 114 2 142 127 3 202 183 4 90 -90 5 101 96
8 9 10	115 112 25• -13 291 287 109 -93 108 117	2 460 463 3 145 -143 4 421 422 5 67 60 6 26* 63 7 122 119	3 373 -41 4 50 - 5 72 - 6 23 7 25 8 13 9 -	D3 0 984 1002 42 1 499 -454 62 2 193 169 1 3 127 129 33 4 405 -397 12 5 168 155	8 84 98 9 173 172 10 31+ -53 H,7,1 1 593 -631	H, 12, 1 0 352 522 1 72 61 2 107 103 3 50 50 4 131 -110	2 110 87 3 466 474 4 62 50 5 178 175 6 89 83 7 77 -72	5 17• -36 6 50 -40 7 84 -76 8 97 99 H+8+2	0 204 277 1 10+ 20 2 93 97 3 42 59 H,0,3	H,7,3 1 225 225 2 60 55 3 24 4 4 33 31 5 87 -60
-23456	344 -366 1209 -1235 442 -437 528 -572 134 137 250 -9	8 138 -154 7 23• -15 10 103 -165 H,8,0 0 256 248 I 255 253	H, 13,0 1 164 -1' 2 237 -2 3 260 - 4 137 -1 5 103 1	6 506 -484 7 48 -3 57 8 206 -212 15 9 112 -95 36 10 42• 22 17 11 31• 17 03	2 161 -155 3 48 6 4 78 -85 5 219 181 6 71 59 7 157 166 8 47 -8	5 56 69 6 271 -272 7 310 -14 H,13,1 1 62 93 2 65 -82	8 15 11 9 178 - 184 10 41 64 H, 3, 2 1 199 193 2 551 584	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	1 112 -99 3 300 -330 5 149 -148 7 31 58 H,1,3 1 30 -47	H,8,3 0 179 205 1 26* -42 2 119 119 3 119 -124 4 90 -92
8 9 10 11	181 187 245 253 144 -122 221 204 50 -66	2 110 115 3 385 361 4 227 -218 5 411 404 6 290 -286 7 135 -133 8 101 -96	6 19* - 7 38 - 1 4,14,0 0 429 -4 1 25* - 2 156 -1	39 H, 3, 1 48 1 703 765 2 290 -262 3 168 166 20 4 267 -244 30 5 478 -453 43 6 46 39	9 42* 24 10 28* 35 H ₁ 8,1 0 543 -549 1 75 91 2 318 -308	3 51 58 4 121 -124 5 161 -150 6 31• 5 H,14,1 0 43• 25	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	7 93 85 8 63 65 H.9.2 1 250 -259 2 97 -98 3 59 48	2 189 -177 3 17• -20 4 209 -192 5 123 117 6 44 -36 7 82 107	5 63 -67 H,9,3 1 67 90 2 144 -146 3 33 -24 4 108 -126
0123456789011	$\begin{array}{rrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrr$	9 184 -177 10 14 24 H,9,0 1 426 437 2 153 153 3 71 -84 4 353 341 5 385 -381 6 $28 + 14$ 7 224 -210 A 125 -113	3 80 - 4 91 5 19* 6 157 1 H, 15,0 1 230 -2 2 26* - 3 18* 4 71 5 120 1	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	3 314 309 4 253 233 5 166 161 6 159 155 7 145 -141 8 165 151 9 112 -106 H+9+1 1 225 -213 2 403 35 38	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	H,4,2 0 271 276 1 21• 19 2 254 265 3 263 277 4 127 -116 5 118 111 6 186 -202 7 15• -27 8 114 -113 9 84 -94	- 105 - 208 5 245 238 6 15* -10 7 139 144 8 50 78 H,10,2 0 271 - 284 1 18* 19 2 139 -136 3 89 94 4 110 90	$\begin{array}{c} \mu_{1}, 2, 3\\ 0 & 289 & -300\\ 1 & 91 & 90\\ 2 & 90 & -83\\ 5 & 76 & -4^{10}\\ 4 & 134 & 132\\ 5 & 52 & -50\\ 6 & 172 & 196\\ 7 & 26^{6} & -3\\ \mu_{1}, 3, 3\\ 1 & 269 & -262\\ \end{array}$	H, 10, 3 U 37 -32 I 67 -75 2 170 -31 3 104 -108

Table 4. Mean atomic and thermal parameters of $Cu(N_3)_2$ after anisotropic refinement

Individual atomic temperature factors were refined for all atoms in the form

$\exp\left[-(h^2\beta_{11}+k^2\beta_{22}+l^2\beta_{33}+2hk\beta_{12})\right],$

with one of the principal axes parallel to [001]. u_r =r.m.s. amplitude of thermal motion along the *r*th principal axis. Positional and thermal parameters are multiplied by 10⁴ and standard deviations are given in parentheses. E.s.d.'s of the thermal principal axes are 0.01 Å for the nitrogen atoms and 0.002 Å for Cu.

	x/a	v/b	z/c	β_{11}	β22	β33	β_{12}	<i>u</i> ₁	u ₂	U3
N(1)	3305 (13)	1879 (8)	7500	135 (15)	53 (6)	1010 (118)	-51(8)	0·14 Å	0∙22 Å	0∙29 Å
N(2)	4099 (9)	2541 (6)	7500	100 (9)	22 (4)	474 (78)	-6(6)	0.14	0.15	0.21
N(3)	4973 (9)	3208 (6)	7500	68 (9)	30 (4)	600 (82)	-24(5)	0.12	0.17	0.21
Cu	5803 (1)	3967 (1)	2500	82 (2)	31 (1)	672 (17)	-7(1)	0.16	0.18	0.19
N(4)	6533 (8)	4782 (5)	7500	49 (7)	19 (4)	661 (76)	-7(4)	0.12	0.12	0.18
N(5)	7619 (10)	5307 (6)	7500	84 (10)	35 (5)	715 (85)	- 25 (6)	0.13	0.19	0.22
N(6)	8561 (18)	5818 (14)	7500	186 (23)	153 (16)	996 (151)	-90 (17)	0.21	0.22	0.42

Table 5. Some important interatomic distances and angles in $Cu(N_3)_2$

Standard deviations are given in parentheses.

Superscr	ipt Atom at		
none , ,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,	$\begin{array}{cccc} x, & y, \\ \bar{x}, & \bar{y}, \frac{1}{2} \\ \frac{1}{2} - x, \frac{1}{2} + y, \\ \frac{1}{2} + x, \frac{1}{2} - y, \frac{1}{2} \end{array}$	$\begin{array}{ccc}z & \text{with trans}\\ +z & \text{with tran}\\z & \text{with tran}\\ +z & \text{with tran} \end{array}$	slations slations slations slations
Bonds Cu—Cu Cu—Cu' Cu—N(3) Cu—N(4) Cu—N(4) N(1)-N(2) N(1)-N(2) N(2)-N(3) N(4)-N(5)	$I(\sigma)$ 3.079 (1) Å 3.497 (2) 1.995 (5) 2.003 (4) 7) 2.542 (10) 2.709 (7) 1.146 (13) 1.199 (11) 1.213 (11)	Bonds N(1)-N(6') N(1)-N(6'') N(1)-N(3''') N(1)-N(4''') N(1)-N(5'') N(2)-N(6') N(2)-N(6') N(3)-N(4')	<i>I(\sigma)</i> 3.852 (22) Å 3.185 (18) 3.398 (12) 3.155 (10) 3.378 (11) 3.617 (20) 3.145 (18) 3.398 (9)
N(5)–N(6) N(3)–N(4)	1.098 (16) 2.548 (10) Angles	N(3)–N(5') N(6)–N(6') N(3)–N(3) $\theta(\sigma)$	3·450 (12) 3·750 (23) 3·079 (1)
	$\begin{array}{c} Cu &N(1) &N(0) \\ Cu &N(4) &N(0) \\ Cu &N(4) &N(0) \\ N(1''') - Cu &N(0) \\ N(1''') - Cu &N(0) \\ N(3) - Cu &N(0) \\ N(4) - Cu &N(0) \\ N(4)N(0) \\ N(4)N(0) \\ N(4)N(0) \\ N(4)$))))))))))))))

van der Waals contacts to the environment. This shows up, as mentioned earlier, in a higher thermal motion of N(6), and also as a more pronounced asymmetry of the azido group. The nitrogen-nitrogen distances within both independent N₃ groups are significantly different (see below) and can at least for the most asymmetric group be directly compared with distances found for the organic, covalently bonded azido groups (Gray, 1963). Neither azido group in Cu(N₃)₂ departs significantly from linearity:

N(1)	N(2)	N(3)	N(4)	N(5)	N(6)	
•	177.5 (1.1)	• >	•• 176·8 (1·4) °			
1·146 (1·17	(13) 1·199 78) (1·20	(11))4)	1·213 ((1·22	(11) 1·098 25) (1·1:	(16) Å 59) Å	

Taking the long Cu–N distances into account the structure can be considered to be built from double chains of linked octahedra sharing edges (Fig. 3). The strings are extended along the c axis and form a distorted version of the double chains present in NH₄[CdCl₃](Brasseur & Pauling, 1938).

An interpretation of the anisotropic parameters of Table 4 has at most only a qualitative meaning. This implies that the largest r.m.s. vibration amplitudes are in the directions of smallest constraints and *vice versa*. As shown in Fig. 4, both terminal nitrogen atoms N(1) and N(6) have their largest r.m.s. amplitudes across the N-N-N axes in (001), that is in directions with no N-N or Cu-N bonds and with large packing distances between the nitrogen atoms, $3\cdot 2$ Å for N(1) and $3\cdot 8$ Å for N(6). The strong bonds within the azido groups



Fig. 3. Perspective view of the crystal structure of $Cu(N_3)_2$.



Fig. 4. Packing of the $[Cu(N_3)_2]_n$ chains viewed along [001]. Principle axes of thermal motion, referring to Table 4, are indicated.

and an inspection of the thermal ellipsoids suggest that rigid body angular oscillations (or bending motions) make considerable contributions to the mean square displacements of the nitrogen atoms. Similar results have been obtained from anisotropic refinement of the related structure of *trans*-[Cu(N₃)₂(NH₃)₂] (Söderquist, 1967), using mean values of the observed structure factors of Agrell (1966). Considerable contributions to the r.m.s. amplitudes seem also to arise here from angular oscillations of the azido groups. In this case, however, the largest contributions are normal to the mirror planes containing the N₃ groups, directions in which the constraints of the nitrogen atoms are small.

To get a very rough estimate whether the asymmetry of the azido groups persists when thermal motions are taken into account, corrections were applied to the apparent intra-azido distances assuming the 'riding' motion approximation of Busing & Levy (1964). The results, given within brackets above, indicate that the asymmetry is still significant, although more pronounced for the azido group with the free, non-coordinated end.

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References

- AGRELL, I. (1966). Acta Chem. Scand. 20, 1281.
- BRASSEUR, H. & PAULING, L. (1938). J. Amer. Chem. Soc. 60, 2886,
- BUSING, W. R. & LEVY, H. A. (1964). Acta Cryst. 17, 142.
- CURTIUS, T. & RISSOM, J. (1898). J. prakt. Chem. (2) 58, 294.
- GRAY, P. (1963). Quart. Rev. Chem. Soc. Lond. 17, 441.
- HAMILTON, W. C. (1965). Acta Cryst. 18, 502.
- International Tables for X-ray Crystallography (1952). Vol. I. Birmingham: Kynoch Press.
- International Tables for X-ray Crystallography (1962). Vol. III. Birmingham: Kynoch Press.
- LAMNEVIK, S. (1966). Personal communication.
- LAMNEVIK, S. & SÖDERQUIST, R. (1967). Symposium on Chemical Problems Connected with the Stability of Explosives, Stockholm. May 22–23. The present structure was also presented at the symposium.
- MAYCOCK, J. N. & GRABENSTEIN, D. E. (1966). Science, 152, 508.
- SCHLUETER, A. W., JACOBSON, R. A. & RUNDLE, R. E. (1966). Inorg. Chem. 5, 277.
- SÖDERQUIST, R. (1967). Unpublished work.
- STEWART, J. M. (1964). Crystal Structure Calculations System 'X-ray-63'. Univ. of Maryland TR-64-6.
- STRAUMANIS, M. & CIRULIS, A. (1943). Z. anorg. allg. Chem. 251, 315.
- WELLS, A. F. (1962). *Structural Inorganic Chemistry*, p.871. 3rd ed. London: Oxford Univ. Press.